

# Ethernet Topology Discovery without Network Assistance

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## Abstract

*This work addresses the problem of Layer 2 topology discovery. Current techniques concentrate on using SNMP to query information from Ethernet switches. In contrast, we present a technique that infers the Ethernet (Layer 2) topology without assistance from the network elements by injecting suitable probe packets from the end-systems and observing where they are delivered. We describe the algorithm, formally characterize its correctness and completeness, and present our implementation and experimental results. Performance results show that although originally aimed at the home and small office the techniques scale to much larger networks.*

## 1. Introduction

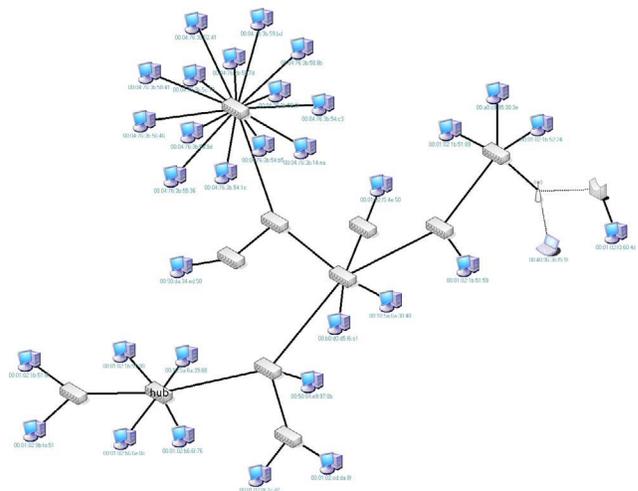
Of calls to computer help desks, those directly attributable to local area networking problems are amongst the hardest to solve, take the longest, and have low customer satisfaction. They have direct costs measured in millions of dollars per month [13]. The cost to the global economy in terms of worker productivity is much higher.

Frequently the initial step in diagnosis is to examine the topology of the network to determine which links, devices or computers are reachable and how that compares with the expected state.

Many of these calls do not originate in large organisations with complex intranets, but in small businesses, home offices, and branch offices where consumer-grade equipment is being used and where support staff are not on hand. Such equipment does not support SNMP (Simple Network Management Protocol) and our topology discovery algorithm is the first to work in this setting.

Additionally, many large enterprise networks also contain hardware without SNMP support, typically towards the edges of the network. Our approach complements and extends the reach of existing topology discovery techniques in this enterprise setting.

Our contribution is a new collaborative protocol permitting end-systems to discover the topology of an Ethernet—



**Figure 1. Screenshot of an example discovered topology.**

including hubs, switches, WiFi Access Points and WiFi bridges—without support from the network elements, by injecting probe packets from the end-systems and relying only on the normal forwarding behavior of the network elements.

Figure 1 shows an example of what our implementation can do; in this instance mapping our 33-node lab network.

Our approach requires a small amount of daemon code on many hosts in the network, to allow topology discovery packets to be injected at suitable locations. While deployment of the daemon might seem a stumbling-block to adoption, we are working with product teams to get this functionality into a future release of Windows, together with an SDK and implementation guide for other platforms [5].

The topology of a network is a graph representing hosts, network elements, and their interconnections. Although such a graph could be annotated with additional details such as link bandwidths and loss rates, this paper focuses purely on the topology.

Topology discovery can be at a variety of levels, ranging from Internet-scale mapping efforts to small-scale home area networks. The techniques applicable to one effort are not necessarily transferable to others; this paper describes Ethernet (Layer 2) topology discovery.

Topology discovery should ideally return the simplest network compatible with all observations. However, the potential presence of hubs and switches not directly linked to any hosts significantly complicates our task. Clearly, some elements cannot be detected by any sequence of packets—for instance, a switch attached to a single segment is invisible. More surprisingly, perhaps, it is often possible to infer the presence of hubs and switches far from any host involved in the protocol. To clarify these ideas, and gain confidence in our protocol, we formalize the observable semantics of networks and show that, in the absence of wireless elements, our discovery algorithm is correct and complete.

Section 2 covers related work. Section 3 reviews the behavior of various network elements and defines our terminology and notations. Section 4 explains the algorithm, and section 5 describes some limitations, security aspects, and the extensions to wireless networking. Section 6 considers the correctness and completeness of the algorithm. Section 7 evaluates its implementation, both on real networks and in simulation. Section 8 presents our conclusions.

## 2. Related Work

Recently, there has been much research into Internet-scale mapping or tomography [9, 12, 2]. These tend to be passive, non-collaborative, IP-layer protocols (although [3] like us uses active probing). For individual routes in the Internet, tools such as traceroute and pathchar [7] can be used to discover link characteristics. Mapping at this level in such a large environment is far removed from our work; it considers topology at the IP level and tends to apply to the wide area and multiple organisations, whereas our work applies to the local area (a single Ethernet), and a single organisation. Of course the techniques could be used and combined in an overall larger picture.

Closer to our problem is that of mapping enterprise or datacenter networks. In this area commercial products such as IBM/Tivoli's NetView and HP's OpenView are common [14, 8], along with the more basic Nomad [4] and OpenNMS [1]. These mappers work by issuing SNMP queries for router tables (defined in MIB-2) [11], IEEE 802.1D Bridge MIBs [6], and/or RMON-2 MIBs [15]. These MIBs give information for each port on the IP router or Ethernet switch, including the hosts or network elements attached to these ports.

These management interfaces have some variation in their implementation; Lowekamp *et al.* report needing to develop work-arounds [10] in their presentation of an effi-

cient technique for stitching together the partial topologies resulting from SNMP queries into a consistent whole, using contradictions to quickly narrow down the possible interconnections between switches.

Several problems remain with MIB based approaches: MIBs only contain information on recently active hosts (since bridges timeout address table entries after around five minutes); properly secured network elements need the mapper to supply an appropriate community string (i.e. password) before allowing access.

Most significantly however, many devices especially in the application domain of interest do not support SNMP; indeed, for an *ad hoc* wireless network there is no device!

We believe that our approach, using a careful analysis of only the fundamental packet forwarding properties of the network elements themselves, is new and provides an effective, end-system-based way to map networks.

## 3. Terminology

We introduce two new terms: *islands* and *gaps* in our discussion of network topology. However, since our approach relies on observing and analyzing the standard operational behavior of the network, we begin with a short summary of the operation of network elements before we define those terms. Section 6 gives formal definitions, in terms of simply-connected graphs and subgraphs.

**Hosts, Addresses, and Packets.** An Ethernet is a graph with two kinds of nodes: *hosts*, with a single link, and *network elements*, with multiple links. Ethernet requires that all redundant links have been eliminated (either through STP (Spanning Tree Protocol), or by wiring rules); the graph is therefore a tree, with a single path between any two nodes.

Each host is characterized by its distinct MAC address, thus a computer with multiple network interfaces is treated as multiple hosts.

**Switches and Hubs.** To the reader, it might seem clear whether a particular element is a switch or a hub, but given the abuse of terminology used in much marketing literature, we feel a hard definition is needed.

Switches are devices that can dynamically learn which addresses are on each port, and filter packets destined to those addresses accordingly. Concretely, if a switch receives a packet with source *A* on a given port, then it subsequently delivers packets for destination *A* to that port only; packets from that port with destination *A* are dropped. If no packet from source *A* has been seen, then the switch floods a packet to that destination to all ports. We do not require that switches implement the IEEE 802.1D STP, since so many inexpensive switches do not.

Hubs are stateless devices; they always flood received packets to all ports except the original incoming port.

Network diagrams (such as in figure 2) in use square boxes to represent network elements, with an ‘X’ for switches and an ‘H’ for hubs.

**Segments.** We use the standard meaning of *segment*: a shared media where hosts overhear each others’ transmissions (e.g. a 10Base2 coax bus or at least one 10BaseT hub). A segment with at least one host is a *shallow segment* and considered to be at the edge of the network; segments with no hosts are called *deep segments*. For brevity we sometimes identify a segment with a host present on the segment.

We classify segments as *intermediate* if a packet being put onto the segment may arrive at more than one switch. It follows that a shallow segment is intermediate if it contains at least two switches; a deep intermediate segment requires at least three switches since it has no hosts.

For instance, figure 2 shows a simple network comprising four hubs and two switches, with eight hosts arranged in pairs on four segments. The segment containing  $\{C, D\}$  is an intermediate segment.

**Islands and Gaps.** An *island* consists of one or more shallow segments of the network, forming a maximal connected subgraph with no deep segments.

A *gap* is a portion of a network containing only deep segments; it therefore connects multiple islands together.

For instance, figure 2 shows a single island; figure 5 shows three islands connected by two gaps (both just a wire); figures 7 and 8 illustrate more complex gaps, composed of several deep segments.

**Access Points.** Wireless APs (Access Points) partially filter packets: they maintain a table of addresses associated with their wireless port, and transmit a packet on the wireless port only if its destination address appears in the association table (or if it is broadcast or multicast). An AP does not forward a packet to an unknown destination from its wired to its wireless interface. Packets arriving from the wireless side with a destination address that does not appear in the association table are bridged to the fixed side of the AP. We say a host is *behind* an AP if it is connected to the AP’s wireless side.

Note that a consequence of association is that wireless clients of an AP must send packets with a source address which has previously associated: this precludes the forging of source addresses.

**Wireless Bridges.** Wireless bridges (such as the Linksys WET11) are also devices with one wired and one wireless port: they are designed to permit one or more wired computers to associate indirectly to a wireless access point. We say that the wired computers are *behind* the bridge.

Wireless bridges require care during discovery because hosts can appear to be connected to a fixed network when actually there is a point-to-point wireless link between them and other portion(s) of the network.

We consider bridges which operate in one of two modes. In *clone mode*, the bridge notes the first source MAC address it receives on its fixed side, and associates to the AP using that address. This only allows a single host behind the bridge, however it provides true Layer 2 bridging semantics. In *proxy mode*, the bridge associates with the AP using the bridge’s own address. It performs proxy-ARP for the IP addresses on the wired side, building a table of IP and MAC addresses; when packets arrive on the wireless side, the bridge rewrites them to have the correct destination MAC address (rather than its own), and sends them out on the fixed side. Packets from the fixed side have their source MAC address rewritten to be the bridge’s own, since this is the address associated with the AP. This allows multiple IP hosts to operate behind the bridge, but does not provide true Layer 2 connectivity.

## 4. Algorithm

At a very high level the technique is based on two simple properties: (1) hosts on the same segment can be detected since in promiscuous mode each can see all the traffic of the others, and (2) a packet with a particular source address entering a switch on one port will prevent the switch from sending packets with that destination address to any other port.

**Assumptions.** In our implementation we use a distinguished host  $M$ , the *mapper*, that acts as a central controlling entity for the algorithm. We also assume that most hosts in the network run a daemon that can inject topology packets and record received packets (using promiscuous mode); section 5 relaxes our assumption for some hosts.

A preliminary protocol permits us to discover all hosts running daemons, and establish a control RPC connection to them. The RPC interface permits  $M$  to request the transmission of a packet and query which packets have been observed.

The mapper determines the sequence, addresses, and injection points for packet transmissions, and how such transmissions are interleaved with queries. The RPC protocol is fairly standard so hereinafter we simply assume that the algorithm directly controls all hosts. Throughout the discussion we assume that no packet loss occurs; the real implementation uses either acknowledgements (where a packet always arrives somewhere) or repetition (where a test packet may be validly not delivered anywhere) but we elide these details for clarity and space; the technique used at each stage is obvious from the discussion below.

For our notation we let  $A, B, \dots, P, Q, \dots$  range over host MAC addresses. In addition, we sometimes rely on addresses  $L, X$  not attributed to any host on the network but instead allocated from a private range assigned for our technique.

We use the notation  $A : X \rightarrow B$  to mean that host  $A$  sends an Ethernet packet with source address  $X$  and destination address  $B$ . Note that in standard Ethernet  $A$  is at liberty to fake the source address, indeed we exploit this in our algorithm; because such addresses are from a private range always different from real addresses, normal traffic is not disturbed. Topology discovery packets also use a distinct Ethernet Type field to further prevent interference.

In description we may distinguish *training* and *probe* packets: training packets cause a switch to learn a particular source address, whereas probe packets test whether a switch has learnt a trained address. Of course on the wire there is no difference between them.

**Outline.** Mapping proceeds by execution and analysis of a number of phases. We initially explain the wired algorithm, and subsequently explain the extensions for wireless elements and uncooperative hosts in section 5. We also ensure that all switches know the real addresses of all hosts at the beginning of the mapping, using ordinary broadcasts.

The first phase discovers the shallow segments of the network by the use of promiscuous mode. Shallow intermediate segments can also be deduced from the promiscuous mode information obtained.

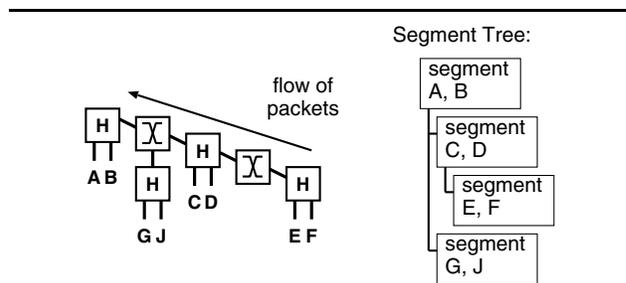
The second phase discovers switches attached to at least one shallow segment, plus the shallow segments they are attached to, and fully determines all islands (defined in section 3 above). In the usual case there are no shallow intermediate segments, hence each island consists of a single switch that attaches shallow segments.

The third phase discovers the segment or switch at the edge of each island where it connects to its adjoining gaps. Finally, the fourth phase discovers the structure of the gaps that interconnect the islands.

**Phase 1: Segment Detection.** We select an arbitrary host, named the *collector*, and set all hosts in promiscuous mode. Each other host sends a probe packet to the collector. The collector also sends a probe packet using a special segment-local destination address  $L$  (described below) so that any hosts sharing its segment may see it. For each host, the *sees set* consists of the source addresses for all received probe packets, plus the host's own address.

From these sets, we determine shallow segments and their interconnection, as follows. Two hosts belong to the same segment if they have the same sees set. Further, we sort shallow segments into a tree, the *segment tree*, by placing a segment above another when hosts in the parent segment see the probes sent from the child segment. Hence, the collector's segment is at the root of the tree, and branches appear when multiple segments are attached towards the collector.

Consider the network in figure 2, consisting of eight hosts  $A, \dots, J$  connected to several hubs joined by switches, all of which have engaged promiscuous mode.



**Figure 2. Segment detection.**

Let  $A$  be the collector. The leaves  $E$  and  $F$  only see  $\{E, F\}$ ; similarly,  $G$  and  $J$  only see  $\{G, J\}$ . Further in,  $C$  and  $D$  see  $\{C, D, E, F\}$ , while  $A$  and  $B$  see all eight hosts (since  $A$  is the collector). Hosts are in the same segment if they have identical sees sets, so in our case the shallow segments are  $\{A, B\}$ ,  $\{C, D\}$ ,  $\{E, F\}$ , and  $\{G, J\}$ .

For the subsequent phases, we select one host to represent each shallow segment; this host is called the *segment leader*. Other hosts play no further part. In our example we select  $A, C, E$  and  $G$ .

**Phase 2: Switches.** In this phase, we detect any switch shared between multiple shallow segments by observing when a switch trained by (the leader of) one segment changes behavior when observed by (the leader of) another segment.

We first establish a technique to teach an address to *exactly* the switches of a given segment—a host cannot do so by sending a packet to its own address, since such packets are internally looped-back.

The IEEE defines in the 802.1D standard a range of addresses which must not be propagated by switches; the first of these is used by the STP. We cannot use one of these addresses however, since consumer switches flood these packets precisely in order to appear transparent to STP.

Instead the host (say  $A$ ) sends a packet  $A : L \rightarrow B$  where  $L$  is a fresh address and  $B$  is the address of some other host.<sup>1</sup> Whilst knowledge of  $L$  may leak to many switches in the network, at least the switches on  $A$ 's segment are trained that  $L$  is on  $A$ 's segment. Host  $A$  can now send to destination  $L$ , with the guarantee that no switches will forward the packet. Note that  $L$  is specific to  $A$ ; each host will need to set up its own fresh address  $L$ .

Having established the ability to send packets to a single segment we can explain a simple example of training to detect switches and discriminate between the two networks in figure 3 by sending three packets. First,  $A : X \rightarrow L$ . Second,  $B : X \rightarrow L$ . Third  $A : A \rightarrow X$ . If the second packet reaches the same switch as the first packet (figure 3(a)), then

<sup>1</sup> It is more efficient to use another host on  $A$ 's segment, but any other host or even broadcast will do.

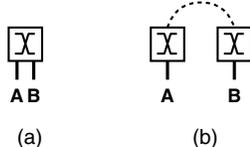


Figure 3. Training to separate two switches.

the third packet will be forwarded by the switch to host  $B$ . If  $A$  and  $B$  are attached to different switches (figure 3(b)), the third packet will not reach host  $B$ .

We expand the description of our general technique in two stages for clarity. First, suppose that there are no intermediate segments in the network. We pick one fresh address,  $X$ , which will be repeatedly trained. Each segment leader  $S_i$  sends a training packet  $S_i : X \rightarrow L$ . If there are multiple segment leaders connected to a single switch then  $X$  will be repeatedly trained so that for each switch the last segment leader to send the training packet will be the owner of address  $X$  on its switch. Note that each switch will have a different view as to the location of the host  $X$ .

We then cause each segment leader to send a probe packet  $S_i : S_i \rightarrow X$ , and observe which segment leaders receive the probes. Any switch with a segment leader attached has one segment leader which was the last to train the switch with the address  $X$ ; that leader will receive probe packets sent by other attached segment leaders. We say that this host *gathers* the probes from the other segment leaders on the same switch; the gathered segments and the gathering segment are attached to the same switch. Any segments remaining unaccounted for (neither gathered nor a gatherer) are each connected to a separate switch by themselves (they train their local switch and probe it, but the switch correctly drops the probe packet so it is never received).

Now relax the restriction and consider intermediate segments. As shown by  $C$ 's segment in figure 2, a segment can be attached to several switches; a training packet sent by the leader of an intermediate segment trains multiple switches.

If the leader of an intermediate segment was the last host to train more than one switch then it would be a point of confluence for the probe messages, and could erroneously gather the segments of multiple switches and believe them to be attached to the same switch. As an example, consider figure 2 and suppose that  $C$  was the collector. If  $C$  was also to train last, it would gather from  $A$ ,  $E$  and  $G$  and the two switches of the network would be indistinguishable.

We solve this by having the segment leaders train in pre-order when performing a depth-first walk of the segment tree (starting from the collector). This means that probes sent to  $X$  now propagate away from the collector towards the leaves of the tree, guaranteeing that there is no point of confluence.

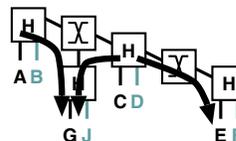


Figure 4. Probe flow after training A;C;E;G.

For the running example of figure 2 the segment leaders would train in the order:  $A$ ;  $C$ ;  $E$ ;  $G$ . The probes would therefore flow as shown in figure 4, yielding the following gathers sets:  $A$  and  $C$  both gather nothing,  $E$  gathers  $\{C\}$ , and  $G$  gathers  $\{A, C\}$ . The switch connectivity is known.

There is one further detail: the existence of intermediate segments can mean that probe packets to  $X$  can traverse more than one switch across the network. If host  $G$  were to train before host  $C$  in figure 2, the probe from  $A$  would travel the whole way to  $E$ . Such probes are easily handled because they come from a host which is neither a peer nor a direct parent of the gatherer in the segment tree.

At this point in the algorithm we have linked shallow segments to their switches, and if intermediate shallow segments are present then they chain together the multiple switches they connect, forming islands in which the complete topology is known. Switches not attached to intermediate shallow segments form trivial one-switch islands comprised of the switch together with its (non-intermediate) shallow segments. What remains to be investigated are the deep segments and the switches interconnecting the islands.

**Phase 3: Island Edges.** From the segment tree, we can easily detect parent- and child-segments on different islands, hence the existence of a gap to analyze, but we first need to know whether the paths to each of these children attach to the parent through distinct switches, or whether these paths share points of attachment to the parent. In brief, we need to identify the switches at the edge of each island.

Figure 5 shows a topology with three islands and two gaps. Host  $M$  is collector, at the root of the segment tree. The figure also shows the segment tree resulting from running the first phase of the algorithm.

The segment of interest is the segment of host  $A$  which has four direct children  $B$ ,  $C$ ,  $D$  and  $F$  in the segment tree, representing the three islands. We chose this network because it shows both an island (number 1) connected via a switch discovered in Phase 2, and an island connected via an additional switch.

Our algorithm analyzes each cross-island parent-child connectivity in turn. There are two possible cases to consider: (1) if the parent segment has no switches below it in the segment tree, then we create a new one representing the switch through which the child's island attaches to the parent's island. We know this switch must exist because if it

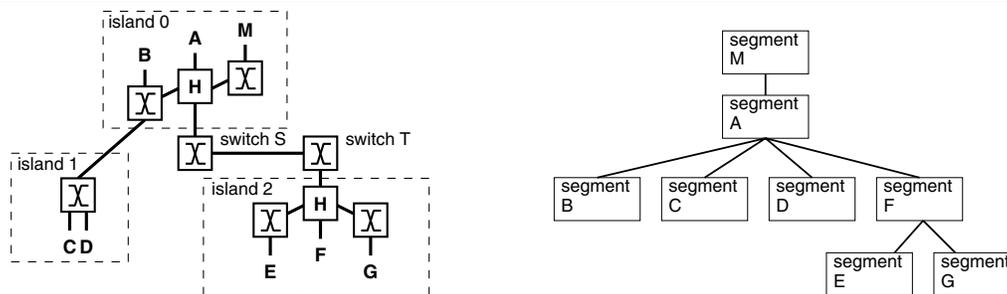


Figure 5. Example network with three islands, and the resulting segment tree after Phase 2.

did not then we would have discovered a single, larger, island rather than the two we actually discovered. Alternatively, (2) the parent segment has one or more switches below it in the segment tree. We thus need to discover which one of these switches connects the child's island to the parent's island. We test each candidate switch as follows: we send a probe packet from the child segment to a host below the switch under test; if the probe packet is *not* seen on the parent segment then the child segment must be below the switch under test, and so the child's island attaches to the parent's island via this switch. If the child's island is not connected via any of the candidate switches then we infer the existence of a new switch, just as in case (1) above.

In the example, a packet sent from host *C* in island 1 to host *B* in island 0 is not visible at host *A*, therefore we know that *C*'s segment (hence island 1) is connected via the same switch as host *B*. In contrast, a packet sent from host *F* in island 2 to host *B* is visible at host *A* allowing us to infer the existence of switch *S*.

To complete the discovery of cross-island connectivity, we determine the switch at the child segment on the edge of the island; fortunately this is deterministic and easy. If the child segment has a parent switch, then it is the edge of the island (all the other segments on that switch are also children of the same parent and can be removed from consideration). If the child segment has no parent switch, then we infer the existence of an additional switch.

In the example, hosts *C* and *D* share a parent switch, so that switch is at the edge of island 1; host *F* has no such parent switch, so we can infer the existence of switch *T* at the edge of island 2. (Recall that switches *S* and *T* must be distinct because *A* and *F* are in different islands; if they had been a single switch, *F* would have gathered *A* in Phase 2.)

At the end of this phase, we have discovered all hosts and switches attached to shallow segments; further, for each remaining gap, we have identified the islands connected by that gap, and the corresponding switches at the edge of the gap. For each gap, we now select one host per island to train and probe the gap via its edge switch. We call these hosts *switch leaders*.

**Phase 4: Discovering Gaps.** In order to explore any remaining gap, we first set up a simple test, then describe a recursive discovery algorithm.

*Path Crossing Test.* Our test combines both training and probing with a fresh address, say *X*; it involves four switch leaders, say *A B P* and *Q*, at the edge of the gap.

The purpose of the test is to determine how the path from *A* to *B* intersects the path from *P* to *Q*. It is especially useful for exploring deep segments because the intersection between the two paths need not be close to any of the hosts involved in the test. It goes sequentially, as follows:

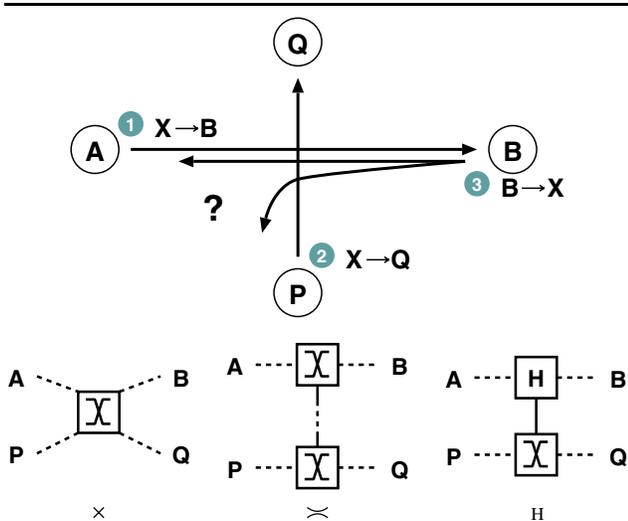
1. *A* sends a training packet to *B* ( $A : X \rightarrow B$ ).
2. *P* sends a training packet to *Q* ( $P : X \rightarrow Q$ ).
3. *B* sends a probe packet to *X* ( $B : B \rightarrow X$ ) and both *A* and *P* report whether they receive the probe or not.

The test and its results are depicted in figure 6. We now interpret each of the three possible results, and also define notations used in this phase.

**Only *P* observes the probe:** Since *A* does not observe the probe, some switch on the path from *A* to *B* has been trained by the packet  $P : X \rightarrow Q$ . That is, there is a switch that is both on the path from *A* to *B* and on a segment on the path from *P* to *Q*. We say that the two paths cross at that switch, and write  $AB/PQ = \times$ .

**Only *A* observes the probe:** Since *P* does not observe the probe, conversely, we know that the switches on the segments on the path from *A* to *B* (seeing the probe message) and the switches on the segments on the path from *P* to *Q* (trained to forward *X* to *P*) are disjoint. Moreover, since *A* and *P* still have to be connected, this connection necessarily goes through one of the former switches and one of the latter switches, and the deep segments between these two switches separate the network with *A*, *B* on one side and *P*, *Q* on the other side. We say that the two paths are disjoint, and write  $AB/PQ = \simeq$ .

**Both *A* and *P* observe the probe:** This third result reveals the presence of a deep hub that duplicates the probe packet sent to *X*. Precisely, there is a switch on a segment of the path from *P* to *Q* that is also on a segment of the path



**Figure 6. The test  $AB/PQ$  and its results.**

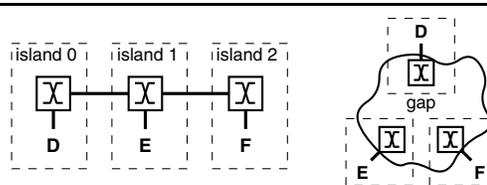
from  $A$  to  $B$ , but that is not directly on that second path. We say that the two paths are hubbed, and write  $AB/PQ = H$ .

The test can be used with  $P = Q$ , with packet two becoming  $P : X \rightarrow L$ , yielding three possible results with similar interpretations. ( $AA/PQ$  is not defined, but for uniformity it is convenient to extend our definition and let  $AA/PQ = \asymp$ .)

Our “path-crossing” test has useful equational properties, which can be used to reduce the number of tests actually performed during gap discovery. For instance, we have  $BA/PQ = AB/PQ = AB/QP$ , and  $AB/PQ = \asymp$  if and only if  $PQ/AB = \asymp$ . Besides, series of tests  $AB/PQ$  can often be combined to reuse the same training- or probe-packets.

*Recursive Gap Discovery.* Recall that at the end of the third phase we have detected some number of gaps in the network, each of which bordered by switches, each switch having a host (the switch leader) on an attached segment. Starting from these switches, we recursively use the path crossing test to split each gap into smaller gaps until we are left with wires. (This section explains how to split gaps, but the precise tracking of the sub-gaps is deferred till section 6.)

As a first step, we check whether any switch on the edge of the gap has more than one deep segment attached to it, as this allows us to break the gap at such a switch. This is done by choosing each switch leader in turn to be the host  $P$ , and testing  $AB/PP$  for all remaining hosts as  $A$  and  $B$ s. Whenever there exist some  $A$  and  $B$  with  $AB/PP = H$  or  $AB/PP = \asymp$ , one can split the current gap into several gaps with fewer border switches: one of these gaps has switches for (at least)  $A$  and  $P$  but not for  $B$ , another has switches for  $B$  and  $P$  but not for  $A$ . We iterate this process until all such gaps are split.



**Figure 7. A network with a three-switch gap.**

As a simple example, consider the three-switch network shown in figure 7, and the problem of determining how those switches are connected. By the end of Phase 3, we know they are in three separate islands, and all border the same gap. Suppose we select  $D$  as  $P$ ; without loss of generality  $E$  is  $A$  and  $F$  is  $B$ . The result of  $EF/DD$  is  $\asymp$ , so  $D$  does not split the gap; by symmetry the same holds if we select  $F$  as  $P$ . However, when we pick  $E$  as  $P$  we find that  $DF/EE$  is  $\times$ , splitting the gap into two gaps each of two switches. Such gaps are trivially represented by a wire, and hence the switches are connected in the order  $D-E-F$ .

In the next step, we observe that in the case of a gap whose segment closest to some host  $P$  is an intermediate segment, then a packet on a path from  $P$  to a switch leader behind one of the switches on such a segment is sufficient to train a switch connecting some other part of the gap attached to the same segment. We can thus apply  $AB/PQ$  recursively, with the path  $PQ$  touching the edge of the gap under evaluation as long as there is some segment on the edge of the gap which is an intermediate segment.

As an example, refer to figure 5, assume hosts  $A$  and  $F$  are inactive, and consider the gap bordered by  $B, M, E, G$ . Packets  $E : X \rightarrow G$  suffice to train switch  $T$ , so we can proceed as if  $F$  were active, and recursively fill the gap bordered by  $B, M$ , and (virtually)  $F$ . Symmetrically, packets  $M : X \rightarrow B$  suffice to train switch  $S$ , as if  $A$  were present.

Finally we may reach a stage where every edge of some gap is represented by a switch with a single wire leaving that switch into the gap attached to a single other switch. At this point we must apply the general form of  $AB/PQ$ . We chose  $P$  and  $Q$  such that  $PQ$  crosses the gap and then we group the remaining switch leaders into classes and subclasses based on the evaluation of  $AB/PQ$ . Once this is done we can order the classes along the line  $PQ$  by sorting with  $AP/BQ$ . This gives us the number of switches along the line  $PQ$  which have points of attachment, the number of points of attachment to each such switch, and the classes of switch leaders attached to each switch. (See section 6 and figure 9 for example networks.)

We proceed to analyse the gap by recursion; choosing a new  $Q$  inside each such class and repeatedly dividing the remaining switch leaders into classes and subclasses, and ordering the classes. Depending on the topology this may be quite expensive, but since at least one switch leader (the one

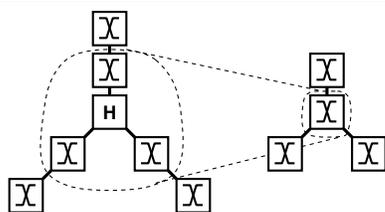


Figure 8. Two indistinguishable 3-stars.

chosen as  $Q$ ) is removed from the switch leaders under consideration, it will eventually terminate with the topology of the network (under observational equivalence).

## 5. Discussion

**Limitations.** There are certain configurations of networking equipment which we cannot detect. The most obvious is a dead branch such as a hub or switch with no hosts, hanging as a leaf from the network. These have no operational effect, and so are undetectable in our setting.

Some live equipment is also undetectable. A segment (apparently) connecting only two devices may be either a piece of wire or an arbitrary number of linked hubs; similarly, any collection of hubs on the same segment are indistinguishable from a single, larger, hub. Likewise, a switch connecting exactly two deep segments forwards any packet it receives on one port to the other port; it has no effect on packet flow, and is indistinguishable from a wire.

Finally, deep hub stars are indistinguishable from a single switch connecting the arms of the star; again none of the equipment has hosts directly connected. Figure 8 shows two indistinguishable 3-stars, although clearly this generalises to an  $n$ -star for  $n > 1$ .

In all cases, we apply Occam's Razor and infer the simplest network which satisfies the observable properties.

A limitation of another sort comes from switches running with 802.1x port-based access control enabled. Such switches prevent hosts connected to them from sending packets with unauthenticated source address. This stops us from training their switches, and thus we cannot determine which hosts attach to them. However, such switches are high-end products and also implement a remote management interface, allowing their topology to be discovered through more traditional schemes.

**Wireless.** So far we have described wired hosts on a wired network; we now explain how wireless hosts and segments fit into the technique.

First, recall from section 4 that we begin by finding all the hosts in the network supporting the daemon. At this original stage, hosts attached to a wireless NIC report the BSSID of the AP that they are associated with.

While in theory there is nothing preventing a wireless host from enabling promiscuous mode, in practice this requires firmware support on the device and driver support in the OS. In our experience, enabling promiscuous mode on a wireless NIC does not work reliably, so we do not depend on this behavior. Instead we use BSSID equality to detect wireless hosts on the same segment.

At the original stage hosts also supply their real MAC address in the body of the packet. This allows us to detect if a wireless bridge has rewritten the source address in the Ethernet header. We group hosts with equal changed addresses (which is the address of the bridge attaching them to the network) and use recursion to map the portion of the network on the wired side of the bridge.<sup>2</sup>

We locate APs and bridges in Phase 2 by electing a leader for the AP or bridge. The leaders send a probe packet to address  $X$ , and we note where it is gathered, just like any other host. The difference is that hosts behind an AP cannot take part in training switches, so their probes may be gathered some distance from their actual location.<sup>3</sup>

**Uncooperative hosts.** While it is desirable to have all hosts run the daemon code, mapping is possible without having the cooperation of all hosts—although obviously the accuracy of the topology may be affected. Any host not running a daemon but having an IP stack (e.g. a network printer) can be located in the network in a similar way to the locating of APs and bridges: the mapper can send a third-party ARP request for the address  $X$  to the host's IP address. A third-party ARP request is one whose ARP-layer source address is not the sender's. In our case the mapper sets the ARP source address to be  $X$ , which makes the IP host send an ARP response to  $X$ , so it can be gathered in the normal fashion. The mapper could collect the list of IP addresses to be probed passively, by continuously monitoring traffic on the network—the list need not be manually configured.

**Security Aspects.** The daemons send and receive packets on behalf of the mapper. To mitigate security concerns, daemons only send and record topology traffic packets, and send packets only from either our reserved topology address range or their real address. This prevents any impact on the routing of normal packets. In addition, the daemons enforce a rate limit on transmission to prevent their being used in an amplification attack. As in any collaborative scheme, the correctness depends on the correct behavior of the contributors.

- 2 It may be that the mapper is behind a wireless bridge; this is detected by the mapper's address changing. Whilst this adds a little complexity to the implementation it doesn't much affect the algorithm; each wired region is mapped independently.
- 3 This rarely causes any ambiguity since wireless segments cannot be intermediate segments.

## 6. Correctness and Completeness

In this section, we give a formal account of our algorithm. Throughout, we assume there is no wireless element or uncooperative host. Due to space constraints, we only give a sketch of the proofs.

**Basic Definitions and Tests.** We first recall our definitions, in terms of graphs. A network is a simply-connected, finite graph whose nodes are switches, hubs, and distinct hosts  $A, B, \dots, P, Q, \dots, T, \dots$ . Hosts have a single link. We write  $AB$  for the unordered pair of hosts  $A$  and  $B$ .

An  $n$ -segment is a maximal, simply-connected subgraph of linked hubs attached to  $n$  (distinct, otherwise-disconnected) hosts and switches. The segment is shallow if it is attached to at least one host, deep otherwise. For instance, a 2-segment is typically just a link, but may also be two links attached by a hub.

An island is a maximal simply-connected subgraph consisting of shallow segments; An  $m$ -gap is a simply-connected union of deep segments that connect  $m$  (distinct) border switches.

Next, we provide lemmas that formally relate the results of tests performed on networks to their actual topology. All tests assume that all switches are initially trained for all host addresses; this can be enforced by sending  $A : A \rightarrow B$  for all hosts  $A$  and  $B$ .

**Lemma 1 (Seeing Packets)** *Let  $A-B$  be the set of hosts on segments that connect  $A$  to  $B$ . This set is observable.*

The set  $A-B$  contains at least  $A$  and  $B$ . For  $A \neq B$ , we have  $P \in A-B$  if and only if host  $P$  observes packets  $A : A \rightarrow B$  (or equivalently  $B : B \rightarrow A$ ). For  $A = B$ , we observe  $P \in A-A$  using local training, as detailed in section 4.

For a fixed host  $T$ , the collector, we write  $A \leq_t B$  when  $A \in B-T$ . The relation  $\leq_t$  is a preorder with smallest element  $T$ . When convenient, we also use the associated equivalence  $A =_t B$  (when  $A \leq_t B$  and  $B \leq_t A$ ), strict preorder  $A <_t B$  (when  $A \leq_t B$  and  $B \not\leq_t A$ ), and covering relation  $A \prec_t B$  (when  $A <_t B$  and  $A \leq_t C \leq_t B$  implies  $C =_t A$  or  $C =_t B$ ). By definition, all these relations are also observable.

**Lemma 2 (Path Crossing)** *For all hosts  $A, B, P, Q$  with  $A \neq B$ , let  $AB/PQ \in \{\asymp, \times, \text{H}\}$  be such that*

- $AB/PQ = \asymp$  when there exist two switches separating  $A, B$  on one side from  $P, Q$  on the other side.
- $AB/PQ = \times$  when there is a switch on a segment of the path from  $P$  to  $Q$  that is on the path from  $A$  to  $B$ .
- $AB/PQ = \text{H}$  when there is a switch on a segment of the path from  $P$  to  $Q$  that is also on a segment of the path from  $A$  to  $B$  but not directly on that path.

*The result of  $AB/PQ$  is observable.*

**Network Equivalence.** We let *observational equivalence*, written  $\approx$ , relate two networks when they have the same hosts and, starting from a state where all switches are clear, for any series of packets sent from these hosts, all hosts observe the same packets.

This equivalence captures our intuition of indistinguishability of networks, from the viewpoint of its hosts. However, it does not provide an effective decision procedure. To this end, we now give a characterization of  $\approx$  in terms of the local network topology. In essence, our theorem bounds what can ever be observed without network assistance. This enables us to confirm that our discovery algorithm is *complete*: under our hypotheses, its precision cannot be improved.

**Theorem 1 (Completeness)** *Observational equivalence is also the finest equivalence preserved by:*

- R1. *Substitution between  $n$ -segments.*
- R2. *Addition and deletion of dead branches: for any network  $N$ , we have  $N-H \approx N$  and  $N-\times \approx N$ .*
- R3. *Addition and deletion of redundant switches with two links: for any networks  $\vec{N}, \vec{N}'$ , we have  $\vec{N} \times - \times - \times \vec{N}' \approx \vec{N} \times - \vec{N}'$ .*
- R4. *Addition and deletion of deep hub stars: for any networks  $\vec{N}_1, \dots, \vec{N}_k$ , we have  $H(-\times-\times\vec{N}_i)_{i=1\dots k} \approx \times(-\times\vec{N}_i)_{i=1\dots k}$ .*

(where  $\times \vec{N}$  and  $H\vec{N}$  stands for networks  $N_1, \dots, N_l$  attached to  $\times$  and  $H$ , respectively.) Informally, the rules R1–R4 list parts of the network topology that are not observable: attached hubs (R1), ends of the network with no hosts (R2); switches attaching two deep segments (R3); and hubs symmetrically attaching deep 2-segments, as depicted in figure 8 (R4). The theorem states that this list is actually complete.

The *normal form* of a network is obtained by repeatedly applying these rules from left to right, and replacing any  $n$ -segment by a single hub attaching  $n$  wires (or just a wire for  $n = 2$ ). Since each application deletes elements, we obtain the smallest network in its equivalence class.

An abstract *discovery algorithm* performs a finite series of tests for each given network and returns its normal form.

**Proof sketch** Let  $\approx_a$  be the finest equivalence preserved by rules R1–R4. To prove that  $N \approx_a N'$  implies  $N \approx N'$ , it suffices to check that each of the equivalence cases in the theorem is an observational equivalence. These different networks can't be separated by any series of packets because:

- R1. Hubs on a segment don't filter messages.
- R2. No message ever arrives from a dead branch.
- R3. As an invariant, the state of the two left- and right-switches are the same on both sides of the equivalence;

if the left switch routes to the right, or the right switch routes to the left, then so does the middle switch.

- R4. As an invariant, the outer switches have the same state on both sides of the equivalence, and the states of each inner switch is obtained from the state of the central switch by routing outward the addresses routed towards that branch by the central switch and routing inward the addresses routed towards any other branch by the central switch.

Conversely, to prove that  $N \approx N'$  implies  $N \approx_a N'$ , we rely on the existence of a correct abstract algorithm (Theorem 2): since the algorithm yields the  $\approx_a$ -normal form of the network, and since it only depends on the result of observable tests,  $\approx$ -equivalent networks yield identical normal forms.  $\square$

**An Abstract Algorithm.** We now specify our algorithm, omitting the details, data structures, and optimizations of our implementation. Our discovery strategy relies on fewer tests than those we implemented. In the discussion, we implicitly refer to the normal form of the network, thereby excluding occurrences of the right-hand-sides of rules R1–R4.

*Determine the islands and their contents (Phases 1 and 2).* Choose a host  $T$  and observe  $\leq_t$ , then

1. Find all shallow segments, as the equivalence classes of  $=_t$ . Retain a single host on each shallow segment.
2. Find all switches attaching shallow segments. We distinguish two cases for these switches: (I) the switch attaches  $n + 1$  segments  $A, B_1, \dots, B_n$  with  $A \prec_t B_i$  for  $i = 1 \dots n$ , or (B) the switch attaches  $n$  segments  $B_1, \dots, B_n$  and also connects to  $A$  on some other island (through deep segments), with  $A \prec_t B_i$  for  $i = 1 \dots n$ . Phase 2 proceeds as follows:

- a) Every  $A$  sends  $A : X \rightarrow L$ , in increasing order: if  $A \prec_t B$ , then  $A$  sends its message before  $B$ . As a result, every shallow switch is trained and, in both cases (I) and (B), the switch is trained towards the  $B_i$  that sent  $B_i : X \rightarrow L$  last.
- b) Every  $A$  sends  $A : A \rightarrow X$ , in any order. The result of the test consists of sets  $S_B$  containing the source  $A$  for each packet observed at  $B$ .

We find a switch attaching shallow segments for each non-empty set  $S_B$ : either there exists  $A \prec_t B$  for some  $A \in S_B$ , and we have a (I)-switch attaching  $\{A, B\} \cup \{C \in S_B \mid A \prec_t C\}$ , or we have a (B)-switch attaching  $\{B\} \cup S_B$ .

*Determine the switches attaching islands to gaps (Phase 3).* We write  $A \prec_i B$  when  $A \prec_t B$  and  $A$  and  $B$  belong to different islands:  $A$  and  $B$ 's islands are then connected by a gap via switches attached to  $A$  and  $B$ , respectively.

Hence, the relation  $\prec_i$  yields the branches of a tree of islands rooted at  $T$ . If  $A \prec_i B$  and  $A \prec_i B'$  for two distinct  $B$  and  $B'$  on the same island, then  $B$  and  $B'$  are attached to a previously-found (B) switch connecting  $A$ 's island. Otherwise,  $B$  is attached to a newly-found switch connecting  $A$ 's island.

On  $A$ 's island, we may need additional tests to find the switch attaching  $A$  and connecting each island with a  $B$  such that  $A \prec_i B$ . For each  $C$  with  $A \prec_t C$  with a previously-found switch attached to  $A$  and connecting  $C$ , if  $A \notin B-C$  then  $B$  is also connected to that switch. Otherwise, we have found a new switch (and will consider  $C = B$  for any remaining island connected to  $A$ ).

To every such identified switch attached to  $A$  corresponds a  $m$ -gap, with  $m - 1$  additional switches, one for each island with  $B$ s such that  $A \prec_i B$ .

*Determine every remaining  $m$ -gap, by induction on  $m$  (Phase 4).* The input is a set  $S$  of  $m$  unordered pairs  $AA'$  representing distinct switches that can be trained towards  $A$  by sending  $A : X \rightarrow A'$  without affecting the rest of the gap. To begin with,  $S$  contains a pair  $AA$  for each border switch, for some host  $A$  linked to the switch.

In preparation for the inductive cases, we define an auxiliary operation on sets of switches: to *add* a switch represented by  $PP'$  to some set  $S'$ , written  $S' + \{PP'\}$ , first detect whether the switch  $PP'$  is already represented by any  $AA' \in S'$ , using the test  $PP'/AA' = \times$ , then merge these two switches and their connections, otherwise add a distinct switch  $AA'$  to  $S'$ .

When  $m = 1$ , do nothing. When  $m = 2$ , attach the two switches by a wire. When  $m > 2$ :

1. Select  $PP', QQ' \in S$  and partition  $S \setminus \{PP', QQ'\}$  as follows:  $AA'$  and  $BB'$  are in the same subclass when  $AB'/PQ' = \asymp$ ;  $AA'$  and  $BB'$  are in the same class when  $AB'/PQ' \in \{\asymp, H\}$ .

Each class corresponds to a network attached to a switch on a segment from  $PP'$  to  $QQ'$ . When a class contains several subclasses, each subclass corresponds to one or several networks attached to a distinct switch, with the class switch and all the subclass switches attached by a hub.

We distinguish two kind of inductive cases, for  $PP' = QQ'$  and  $PP' \neq QQ'$ . In both cases, a set  $S'$  collects the switches bordering the remaining gap after analysing all classes and subclasses; at the state of the analysis,  $S'$  contains  $PP'$  and  $QQ'$  (when  $QQ' \neq PP'$ ). After analysing all classes, if  $S'$  is smaller than  $S$ , recursively fill  $S'$ .

Each class  $E$  is analyzed as follows:

- a) If  $E$  has several subclasses  $E_1, \dots, E_n \subset E$ , then for each subclass  $E_i$ , select  $AA' \in E \setminus E_i$ , fill  $E_i + \{PA\}$ , and keep the resulting switch.

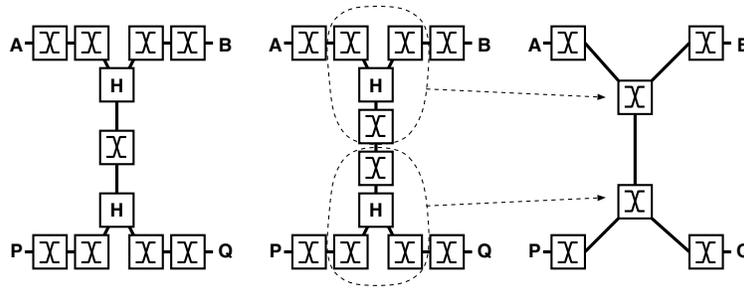


Figure 9. Examples of 4-gaps with deep switches and hubs.

If  $PP' = QQ'$ , attach these  $n$  kept switches to  $PP'$  by a hub (and do not add anything to  $S'$ ).

If  $PP' \neq QQ'$ , select  $AA' \in E_1$  and  $BB' \in E_2$ , attach the switch  $AB'$  and the  $n$  resulting switches by a hub, and add  $AB'$  to  $S'$ .

- b) If  $E$  is a single subclass, fill  $E + \{PQ'\}$ . In the filled sub-gap, if the switch  $PQ'$  is represented by some  $CD'$  with  $CC'$  and  $DD'$  in  $E$ , add  $CD'$  to  $S'$ . Otherwise, since we cannot have three switches in a line, the switch behind  $PQ'$  is represented by some  $CD'$  with  $CC'$  and  $DD'$  in  $E$ . Add  $CD'$  to  $S'$ .

We do not progress in only two situations:

- i.  $PP' = QQ'$  and  $E = S \setminus \{PP'\}$  is a subclass.
- ii.  $PP' \neq QQ'$ ,  $E = \{AA'\}$ , and  $PQ' \neq AA'$ .

2. Finally, when there is no progress for any choice of  $PP', QQ' \in S$ , attach the remaining switches in  $S$  using an extra switch with  $m$  links.  $\square$

As an example of inductive cases in the algorithm, consider the three 4-gaps of figure 9, with border switches  $A, B, P$ , and  $Q$ . All border switches are linked to an inner switch, so any splitting with a single switch (say  $P$ ) yields a single subclass containing all other switches ( $\{\{A, B, Q\}\}$ ). To make progress, we consider splits using two distinct switches.

In the leftmost gap,  $AB/PQ = H$ , and the split according to  $/PQ$  yields a class with two subclasses,  $\{\{A\}, \{B\}\}$ . For each subclass, we fill a 2-gap,  $\{A, PB\}$  and  $\{B, PA\}$ , find inner switches hubbed to a third switch represented by  $PQ$ , and finally fill  $S' = \{P, Q, AB\}$  in a similar way. We obtain the exact topology of the network.

In the central gap,  $AB/PQ = \asymp$  and we have a single subclass  $\{\{A, B\}\}$ . We fill the sub-gaps  $\{A, B, PQ\}$  and  $\{AB, P, Q\}$  and, since these hub-stars are observed as switch-stars, obtain the topology of the (equivalent) rightmost network.

**Theorem 2 (Correctness)** *The discovery algorithm finds the normal form of any network.*

**Proof sketch** In this final case, by 1(b)i we have  $AB/PP' = \asymp$  for all distinct  $AA', BB', PP' \in S$ , so all switches are connected by a single wire to some other inner switch in the gap. If  $m = 3$ , rules (R3) and (R4) ensure that we have a single, central inner switch. If  $m > 3$ , assume some of these inner switches are not the same, that is, there exist  $AA'$  and  $BB'$  connected by three or more segments of the form  $AA' \times \dots \times BB'$ . If there exists  $PP'$  linked to  $AA'$ 's inner switch and  $QQ'$  linked anywhere else on that path, then  $BQ/AP \neq \times$  contradicting 1(b)ii. By rule (R3) and symmetry, all inner switches are thus distinct and attached to a hub. By rule (R4), they cannot all be connected to a single central hub, so there exist distinct  $AA', PP'$  on some hub and  $BB', QQ'$  on some other hub linked by (at least) one switch, with  $AP/BQ \neq \times$  contradicting 1(b)ii.  $\square$

## 7. Experimental Evaluation

In addition to developing and formalizing the algorithm itself, we also created an implementation, consisting of about 4,000 lines of code for the mapper and about 500 for the daemon, which we used to validate our model against a real network. A screenshot of our code run on our lab test network was presented in figure 1.

As well as deploying on our internal networks, we also purchased one of every home networking switch on offer at our local store. Some of these experiments informed more practical considerations: our implementation begins with a special packet sequence to detect switches based on the Conexant CX84200; this chip sometimes reflects packets out the port they went in on which is disastrous to the normal operation of a network, and too confusing for our algorithm to deal with.<sup>4</sup> Another surprise was that while inexpensive home networking switches learn new Ethernet addresses immediately, enterprise-class switches can take up to 150 ms. Our implementation therefore delays between

<sup>4</sup> The Linksys BEFW11S4 has a similar problem, but we have yet to find a way to detect it.

sending a training packet and the probe packets which test the training.

In our implementation we created an abstraction above the raw Ethernet socket interface, which permits us to run unmodified mapper and daemons on a simulated network. This allows testing of our implementation on many different topologies to exercise the various code paths.

**Experimental results.** We instrumented the simulator to record the number of packets injected into the network (including the RPC traffic from the mapper to the daemons). We also put together real network topologies to measure elapsed times.

The table below shows the costs for a small selection of networks, expressed both as a number of packets (taken from the simulator results), and the (average) elapsed time when run on a real network.

Topology	pkts	secs
(switch A)	6	1.10
(switch A B)	32	2.14
(switch A (switch B))	38	2.13
(switch A (AP B (bridge C)))	37	3.30
(switch A B (switch C D))	69	2.61
(switch A B (hub C D (switch E F)))	87	2.64
Three-switch problem (figure 7)	92	3.38
Figure 5	149	4.46

The time is always greater than one second because this is the length of the host discovery period; time after this initial second is spent probing the network topology and is dominated by the many delays of 150 ms in case there are enterprise switches present.

Although the 150 ms delays are the dominant factor in the cost of the algorithm we can give complexity information for the phases. The first phase is linear in the number of hosts. The second phase is linear in the number of switches. The third phase is  $O(i g^2)$  where  $i$  is the number of islands and  $g$  is the largest number of gaps attached to any one island. The fourth phase is more difficult to analyse, but our experience is that the numbers involved are tiny even in very large corporate networks.

## 8. Conclusions

We showed how the hosts on the edges of an Ethernet can cooperate to discover the topology of the network connecting them. Not only can the technique map portions of the network near hosts, but the path crossing test permits the discovery of network components far from any host.

We do not require any intelligence in the network elements being discovered, and so our work complements previous approaches to topology discovery which rely on querying switch and router MIBs via SNMP or other management protocols. Because we infer topology from the be-

havior of the network, a minor limitation is that elements which do not influence the behavior are not discoverable by our technique.

Formally, we specified our algorithm for a wired network, and showed that it always detects the simplest network that is observationally equivalent to the actual network. Experimentally, we presented performance data from simulations, as well as timings from a real implementation deployed over 33 machines in our lab.

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